

Neutrino mass and leptogenesis in a hybrid seesaw model with a spontaneously broken CP

Apart from the experimental challenges to determine the neutrino oscillation parameters, the origin of a Dirac CP phase (δ_{CP}) in the neutrino scillation parameters, the origin of a Dirac CP phase (δ_{CP}) in the neutrino scillation parameters, the origin of a Dirac CP phase (δ_{CP}) in the neutrino scillate differently from anti-neutrino scillate differe now. This work provides a possible framework of the origin of δ_{CP} via the mechanism of SCPV is achieved by a complex vev of a singlet and the phase is propagated from the scalar sector to the neutrino masses satisfying observed oscillation data, as well as leads to a non-vanishing asymmetry parameter from the scalar sector to the neutrino masses satisfying observed oscillation data, as well as leads to a non-vanishing asymmetry parameter from the scalar sector begin as the scalar sector begin as the scalar sector begin as the scalar sector begin asymmetry parameter from the scalar sector begin asymmetry because the scalar sector begin as the scalar sector begin asymmetry because the scalar sector because the which triggers leptogenesis.



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Introduction

$-rac{1}{16\pi^2\Gamma_N}\sum_{il}\mathcal{I}m[\mathcal{Y}_{ u i}\mathcal{Y}_{ u l}(\mathcal{Y}_{\Delta il}e^{i heta_{ ext{eff}}})^*\widetilde{\mu}^*]\left[1- ight.$	$rac{M_\Delta^2}{ M_R ^2} \log \left(1+rac{ M_R ^2}{N} ight)$
$rac{1}{64\pi^2\Gamma_\Delta}\sum_{il}\mathcal{I}m[\mathcal{Y}^*_{ u i}\mathcal{Y}^*_{ u l}(\mathcal{Y}_{\Delta il}e^{im{ heta}_{ ext{eff}}})\widetilde{\mu}]igg[rac{ M_R }{M_\Delta}\log^2igg]$	$\operatorname{g}\left(1+rac{M_{\Delta}^2}{ M_R ^2} ight) ight]$

onal field Degrees of freedom		conal field		Degrees of freedom		No. of free parameters		SCPV	Neutrino	Lepto-	
)	Fermion(s)	Scalar	Fermion	Total	Potential	Fermion	Total		osc. data	genesis	<u>R. Prar</u>
	$2N_R$	-	2	2	-	6+3	9	×	 Image: A start of the start of	 Image: A start of the start of	Neutrin
	$3N_R$	-	3	3	-	9 + 6	15	×	1	 Image: A start of the start of	seesam
	_	6	-	6	6	12	18	×	 Image: A set of the set of the	×	
	-	12	-	12	17	12	29	1	 Image: A set of the set of the	 Image: A set of the set of the	JILLE
	N_R	2 + 6	1	9	12	3+1	16	1	1	\checkmark	

